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# Appendix B

## Definition of the misfit function

In order to quantify in a rigorous way the differences existing between the solutions obtained by using the boundary integral method (BIE) and the finite difference (FD) approach, we have introduced in the  $x_1-t$  plane the misfit function  $m(x_i, t_n)$ , defined as

$$m(x_i, t_n) = \frac{\left| u^{(\text{BIE})}(x_i, t_n) - \tilde{u}^{(\text{FD})}(x_i, t_n) \right|}{\left| u^{(\text{BIE})}(x_i, t_n) + \tilde{u}^{(\text{FD})}(x_i, t_n) \right|} \quad (\text{B.1})$$

In (B.1)  $u^{(\text{BIE})}$  denotes the slip obtained with the BIE method, while  $\tilde{u}^{(\text{FD})}$  is the value of the slip arising from the FD approach. While the solutions of the dynamic problem are defined in the same position along the  $x_1$  coordinate, along the  $t$  coordinate they are defined in different points, because  $t_n = (n - 1)$

$\mathbf{Dt}$  and  $\mathbf{Dt}^{(\text{BIE})} \neq \mathbf{Dt}^{(\text{FD})}$ . We have therefore resampled the values of the array  $u^{(\text{FD})}(x_i, t_n^{(\text{FD})})$  into the array  $\tilde{u}^{(\text{FD})}(x_i, t_n^{(\text{BIE})})$ , by means of a linear interpolation in time. In the (B.1), used also by Nostro et al. (1999), the misfit  $m$  is in the range  $[0,1]$ : in this way we magnify the numerical difference between the two solutions.